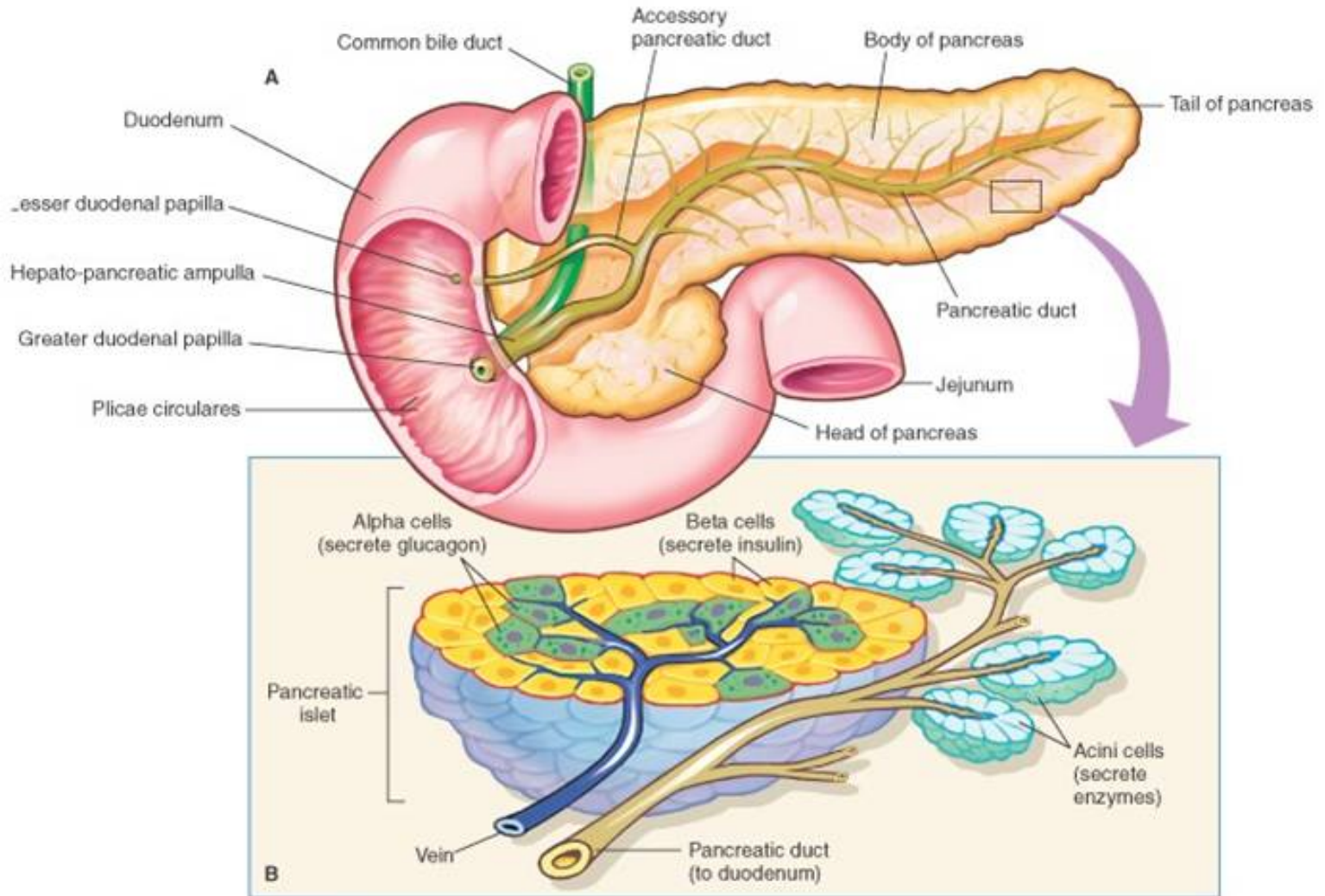


PANCREAS



REGOLAZIONE DEL GLUCOSIO

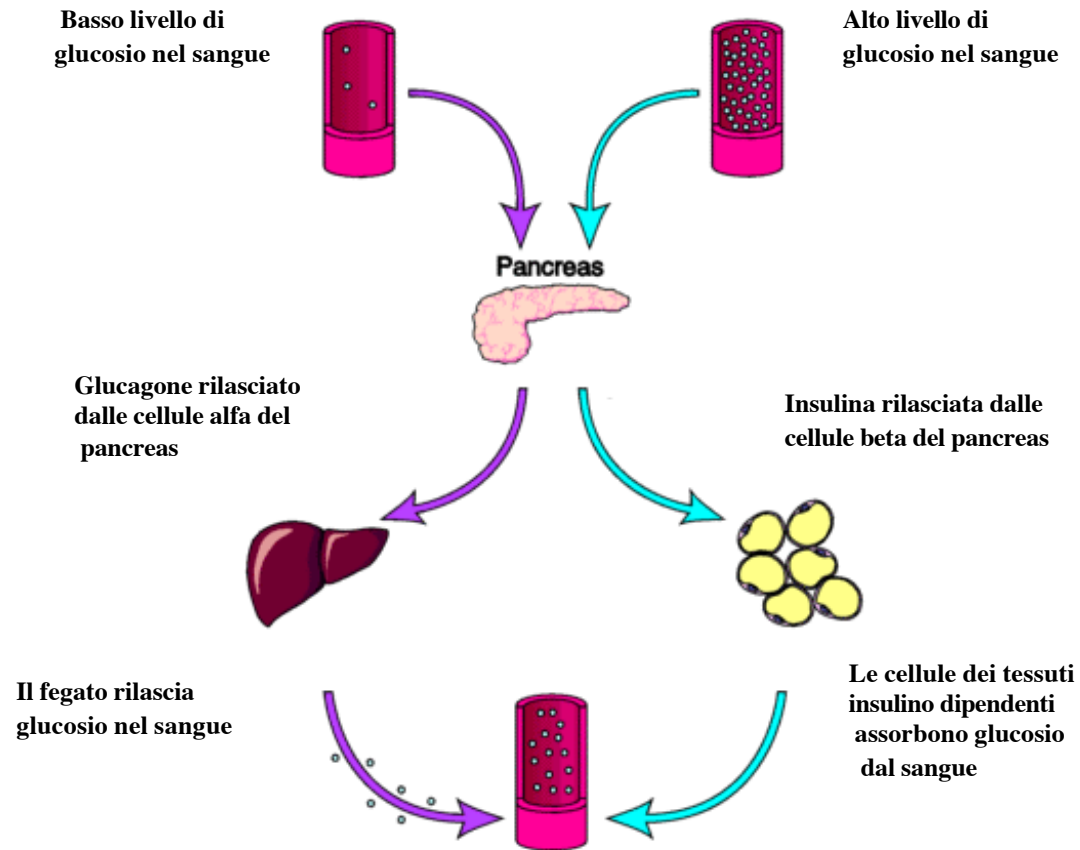
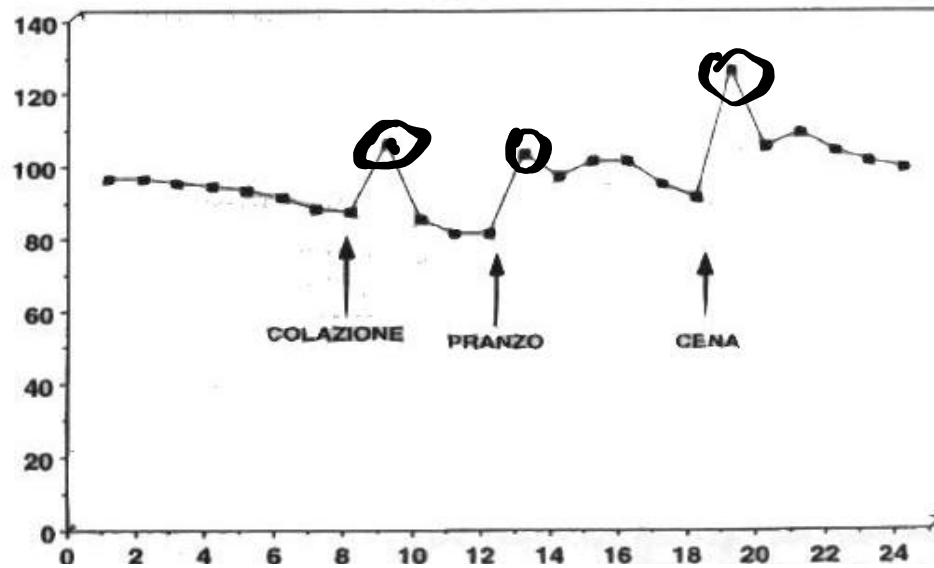


Figura 4: il controllo del glucosio

Glicemia
mg/dl



Insulinemia
 $\mu\text{U/ml}$

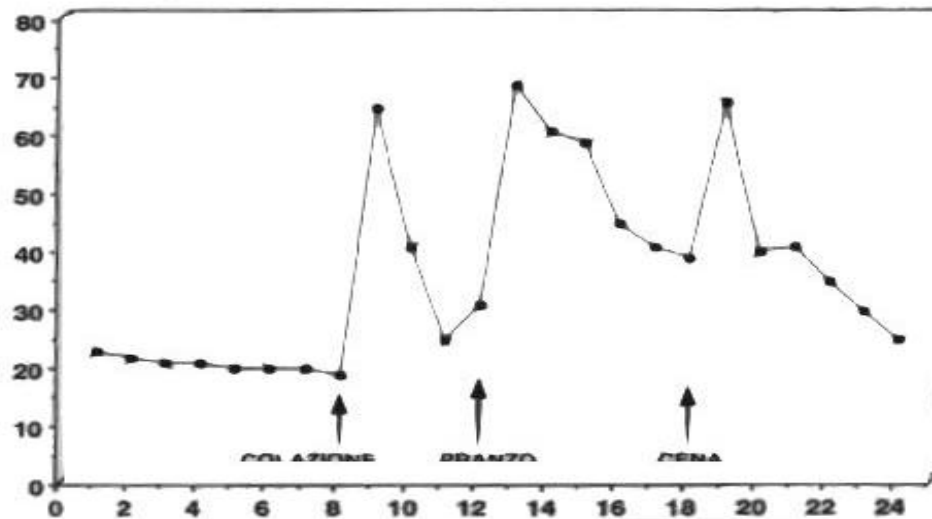


Figura 6: escursioni giornaliere di glicemia e insulinemia

SECREZIONE INSULINICA

t^*

$$g(t^*) = G_0$$
 Secrezione di insulina normalizzata

$$I(t^*) = I_0$$

Concentrazione di glucosio nell'arteria Pancreatica [mg/dl]

$G_0 = 100 \frac{mg}{dl}$

$I_0 = 2 \frac{mg}{dl}$

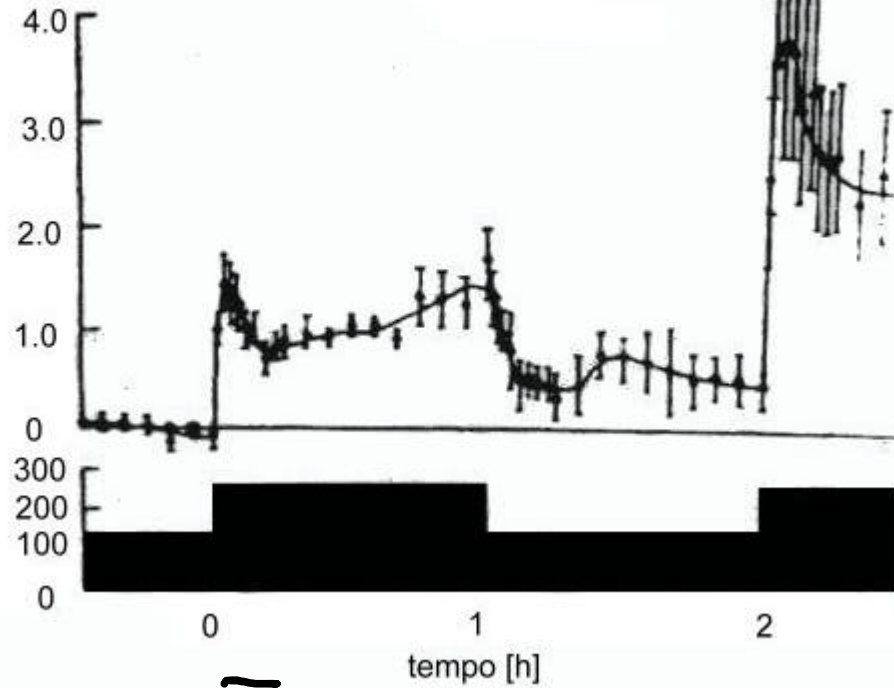


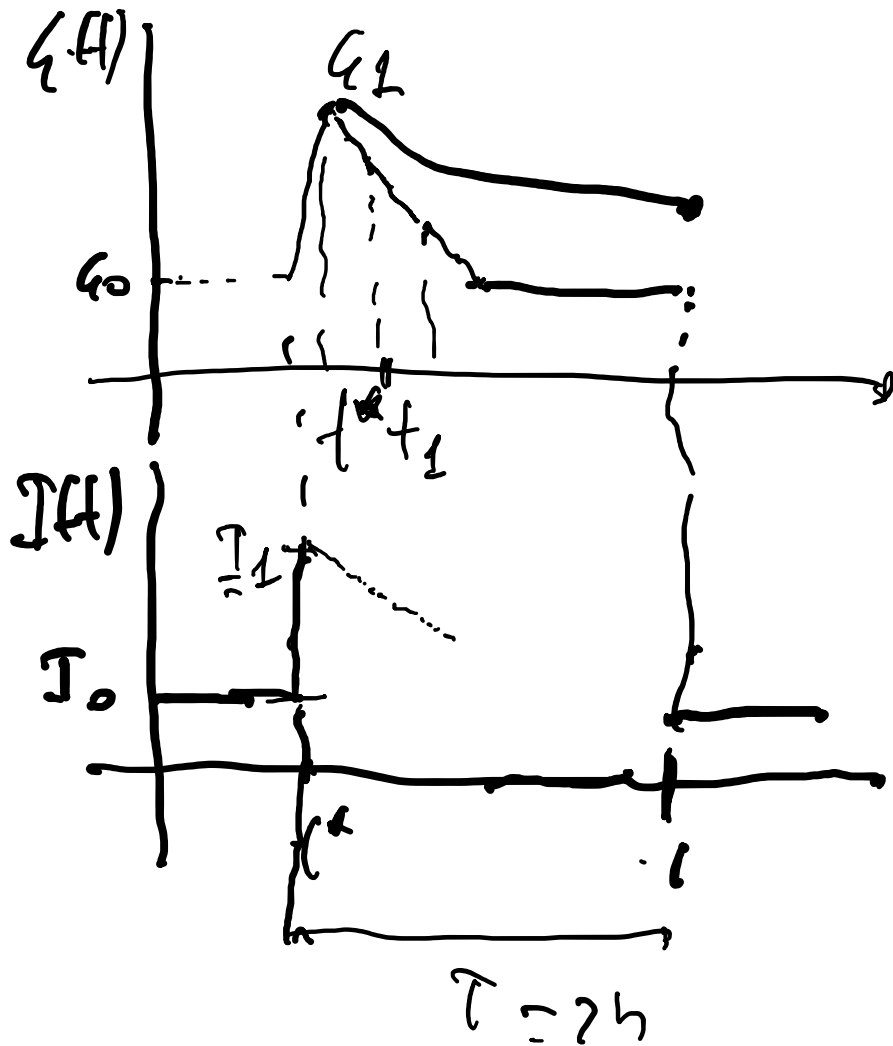
Figura 7. Risposta delle beta cellule a uno stimolo a gradini di glucosio

TABELLA 1.

Criteri per la diagnosi di diabete mellito indicati dall'ADA nelle raccomandazioni 2009

Criterio	Note
Glicemia a digiuno (<i>fasting plasma glucose</i> , FPG) ≥ 126 mg/dl (7,0 mmol/l)	Il digiuno è definito dall'assenza di assunzione di cibo nelle precedenti 8 ore
Sintomi di iperglicemia e riscontro casuale di valori di glucosio plasmatico ≥ 200 mg/dl (11,1 mmol/l)	La casualità corrisponde al dosaggio in qualunque momento della giornata senza tenere in considerazione il tempo trascorso dal pasto I sintomi classici di iperglicemia sono poliuria, polidipsia e calo ponderale non altrimenti spiegato
Valori di glucosio plasmatico ≥ 200 mg/dl (11,1 mmol/l) a 2 ore dalla prova da carico (test di tolleranza al glucosio orale [<i>oral glucose tolerance test</i> , OGTT])	In base alle indicazioni OMS, il test deve essere eseguito con un carico di glucosio contenente un equivalente di 75 g di glucosio anidro dissolti in acqua

Modificata da American Diabetes Association Practical Recommendations. *Diabetes Care* 2009;32(Suppl 1):S6-S12.



$$G(t^*) = G_1$$

$$G(t^* + \Delta t) = G_1 - \frac{1}{4} G_1$$

$$t_1' - t^* = 15 \text{ min}$$

$$\underline{G(\tilde{t}) = G_0}$$

$$I(t^*) = I_1 =$$

$$I(t^* + \Delta t) = I_1 - \frac{1}{4} I_1$$

$$\Delta I = 2 \mu\text{g} \quad \Delta I (4h) = 8 \mu\text{g}$$

$$\Delta I (2h) = 4 \mu\text{g}$$

PANCREAS ARTIFICIALE

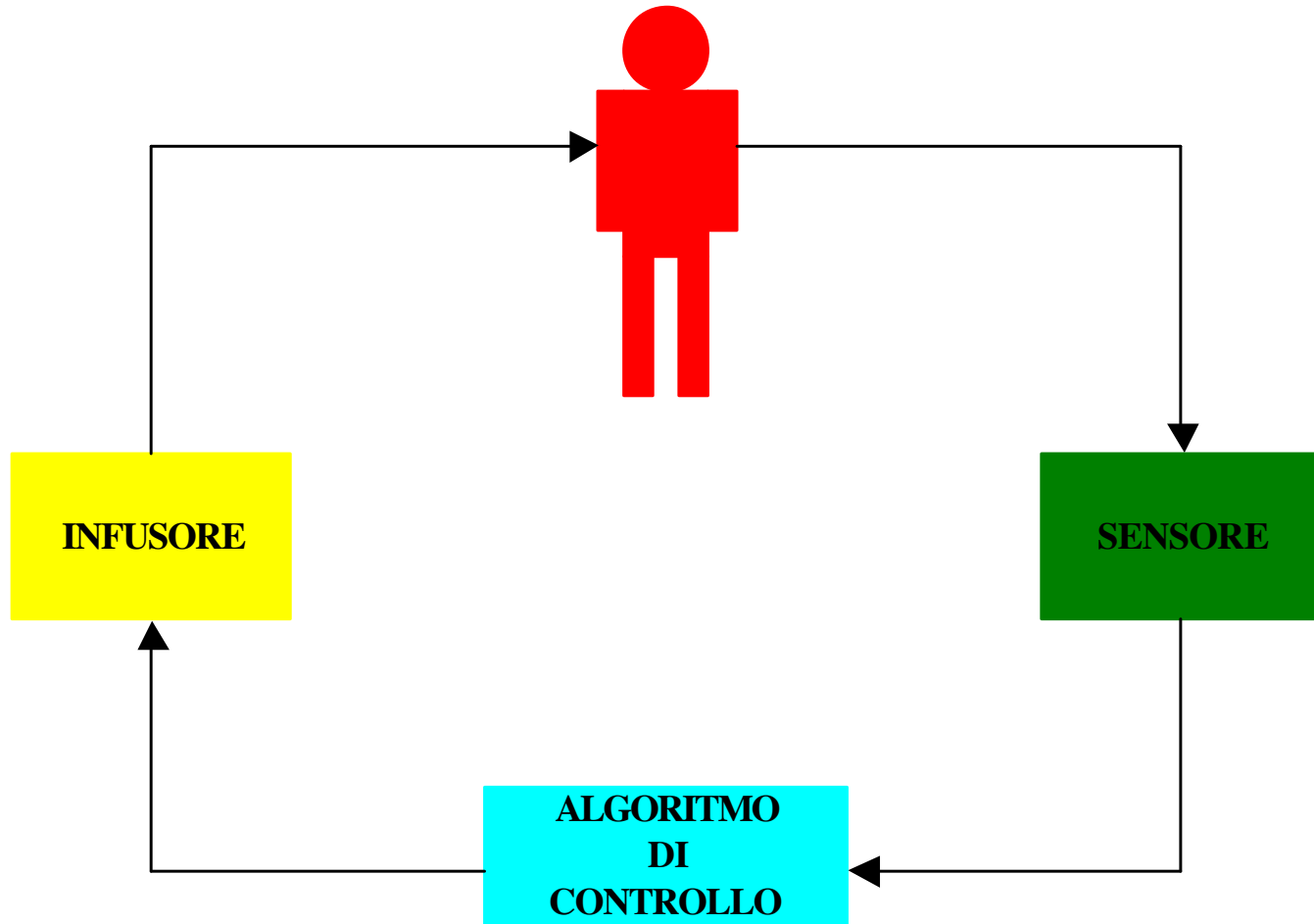
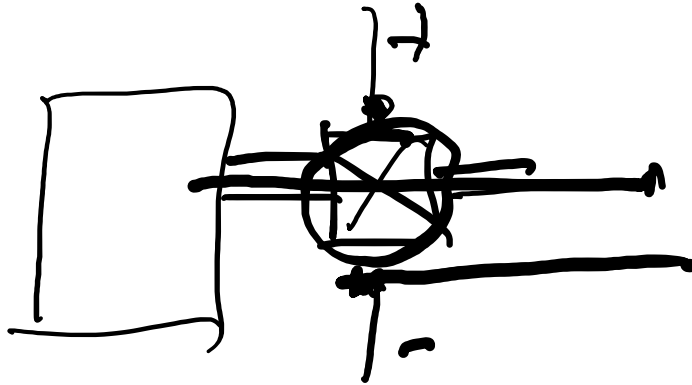
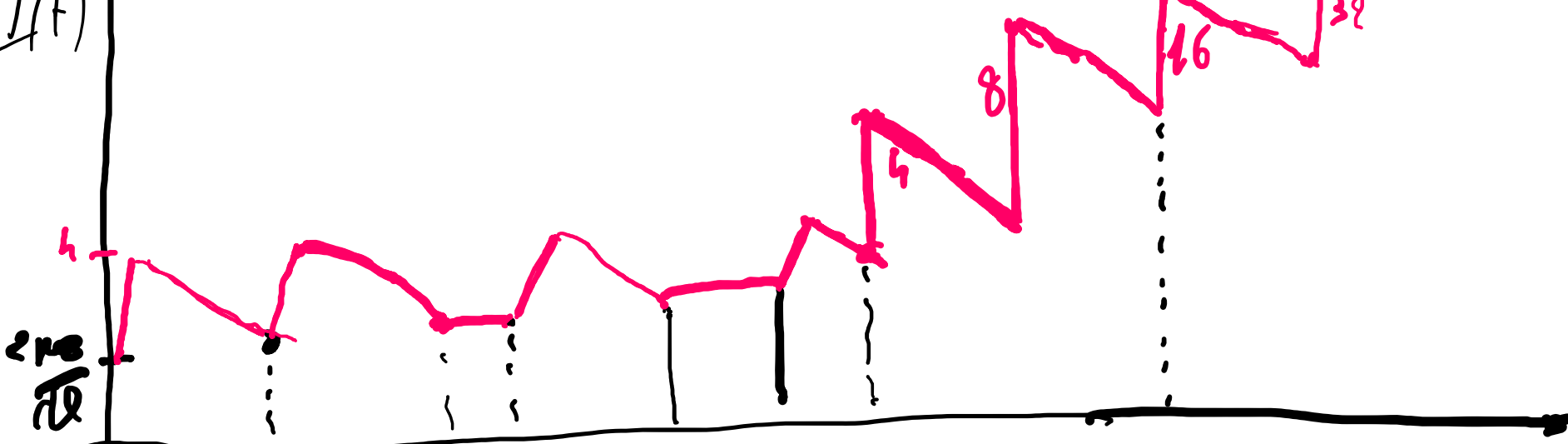
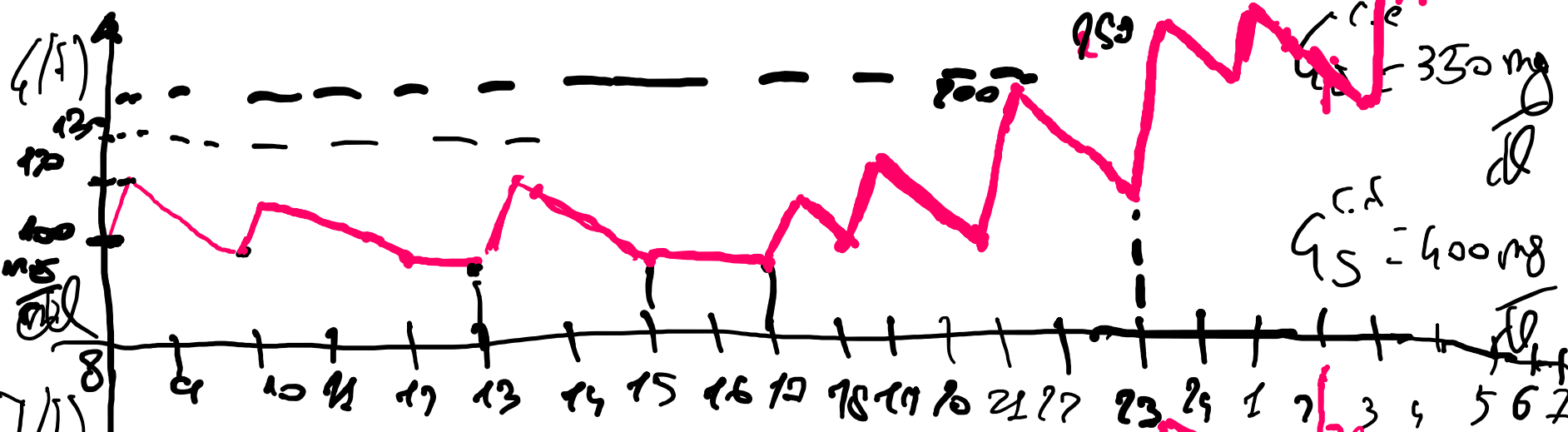


Figura 9: schema di principio di un pancreas artificiale

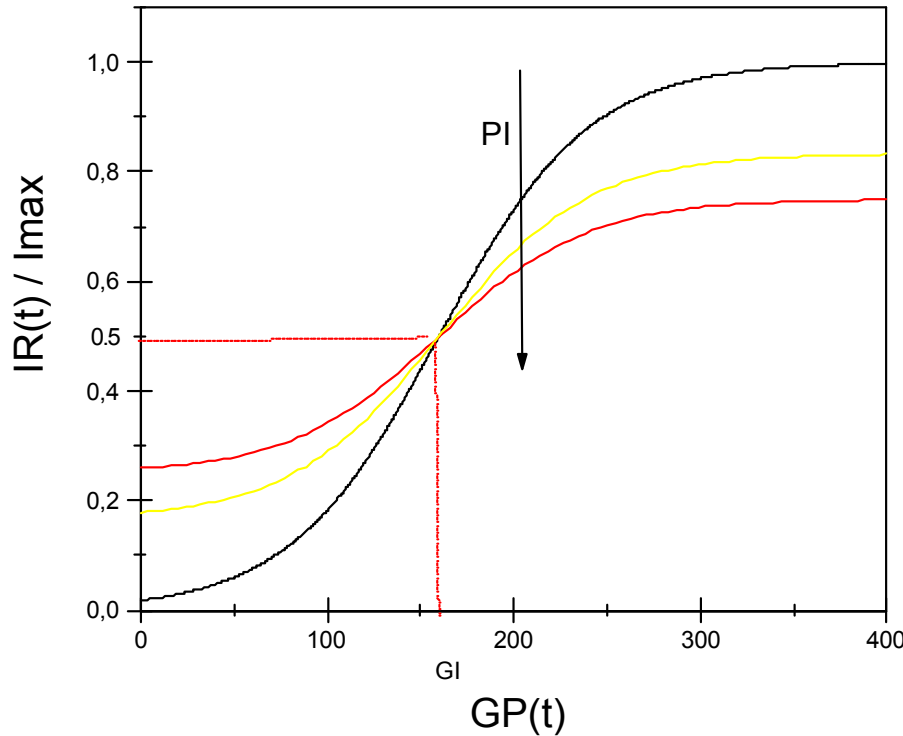
$$G(f) \supset \frac{100 \text{ mg}}{f} \rightarrow I(f)$$





$80g = 80.000 \text{ mg}$
 $Q(t) = \frac{80.000}{5000} = 16 \frac{\text{mg}}{\text{dl}}$ $Q(H) = 20 \frac{\text{mg}}{\text{dl}}$

Algoritmo di controllo del pancreas artificiale di Albisser



$$I_{max} = 100U$$

$$= 3.5 \frac{mg}{ml} = 3500 \mu g$$

$$IR(t) = \frac{I_{max}}{2} \left[1 + \tanh \frac{GP(t) - GI}{PI} \right]$$

$$GI = \sum_{i=1}^5 \frac{G(t-i)}{5}$$

$$DR(t) = \frac{D_{max}}{2} \left[1 + \tanh \frac{GP(t) - GD}{PD} \right]$$

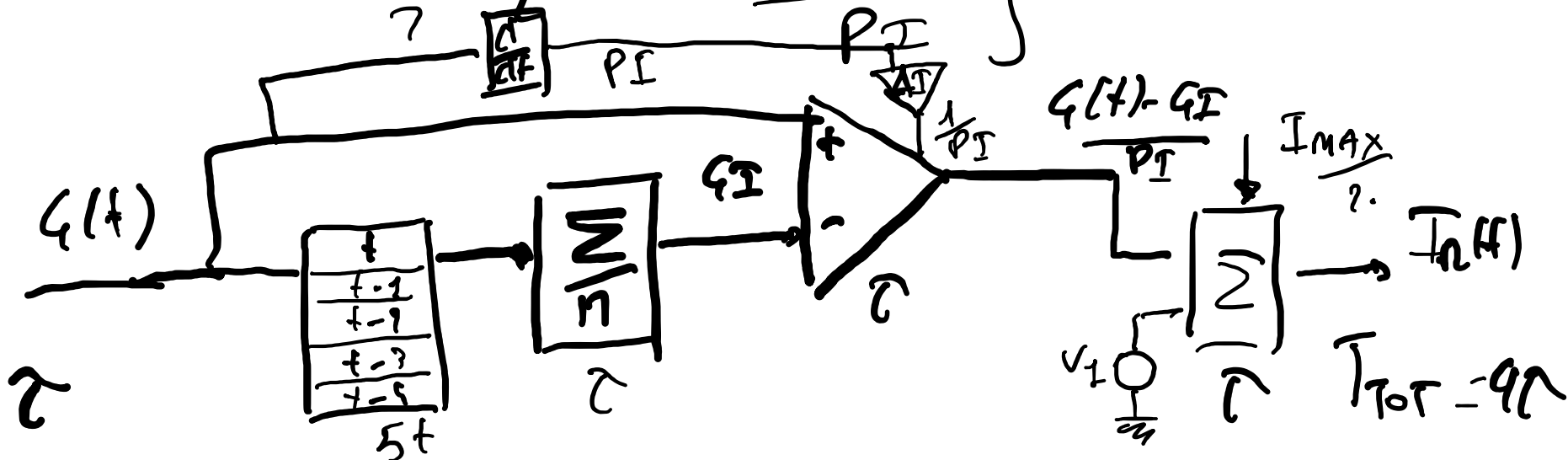
Figura 19: caratteristica di controllo del pancreas di Albisser

$$I_n(t) = \frac{I_{max} x}{2} \left(1 + \tanh \frac{Q(t) - QI}{PI} \right)$$

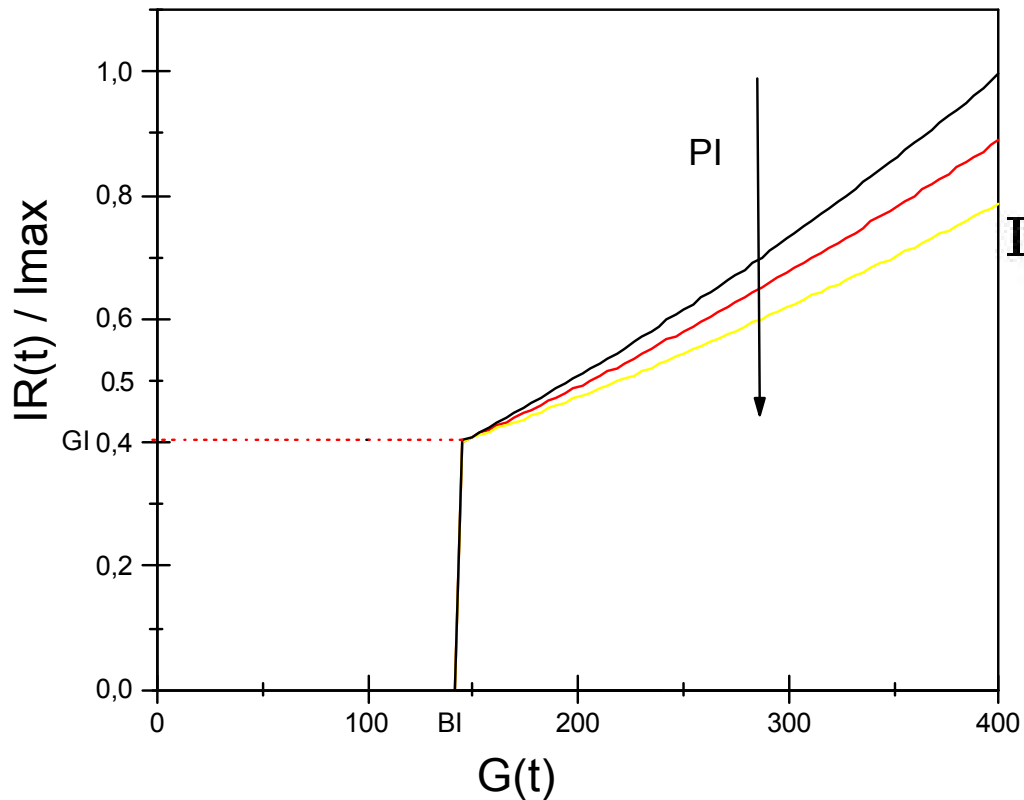
$$\tanh x = \frac{e^x - e^{-x}}{e^x + e^{-x}} = \frac{1 + x - (1 - x)}{1 + x + 1 - x} = \frac{2x}{2} = x$$

Limite è variazioni non superiori al 3%.

$$I_n(t) \approx \frac{I_{max} x}{2} \left(1 + \frac{Q(t) - QI}{PI} \right)$$



Algoritmo di Clemens: il Biostator



Controllo statico

$$IR(t) = RI \left[1 + \frac{G(t) - BI}{QI} \right]^2$$

Controllo dinamico

$$IR(t) = K \frac{dG}{dt}$$

$$BI = 100 \frac{mg}{l}$$

Figura 20: Caratteristica statica del Biostator

Clemens

st: $I_n(t) = I_{max} \left[1 + \frac{G(t) - BI}{BF} \right] \cdot C$

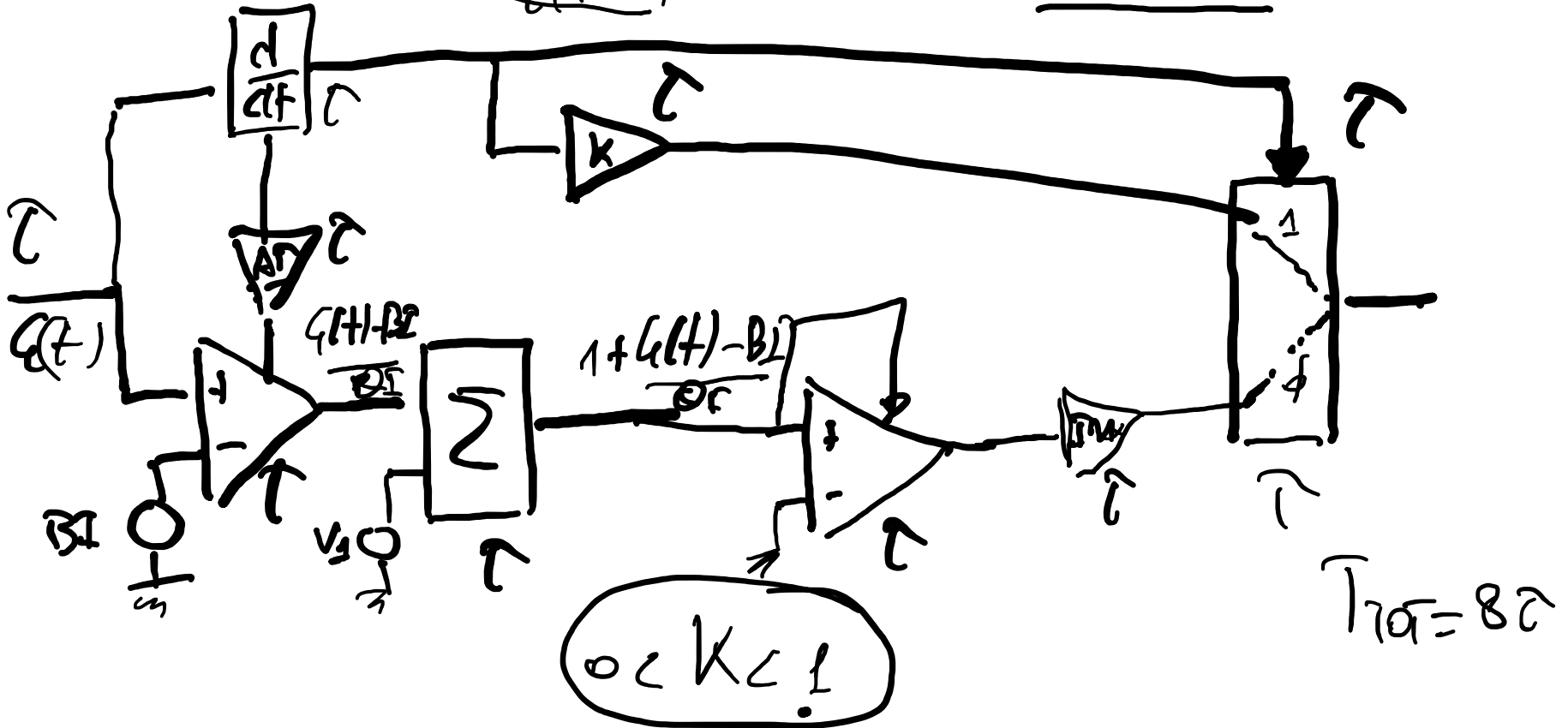
$K_S = 7\%$

$K_D = 3\%$

dam:

$I_{R(t)} = k \frac{dG}{dt}$

$K > 1$



Algoritmo di controllo di Fisher

BF = GL best

$$IR(t) = a_0 + a_1(G-BI) + a_2 (dG/dt)$$

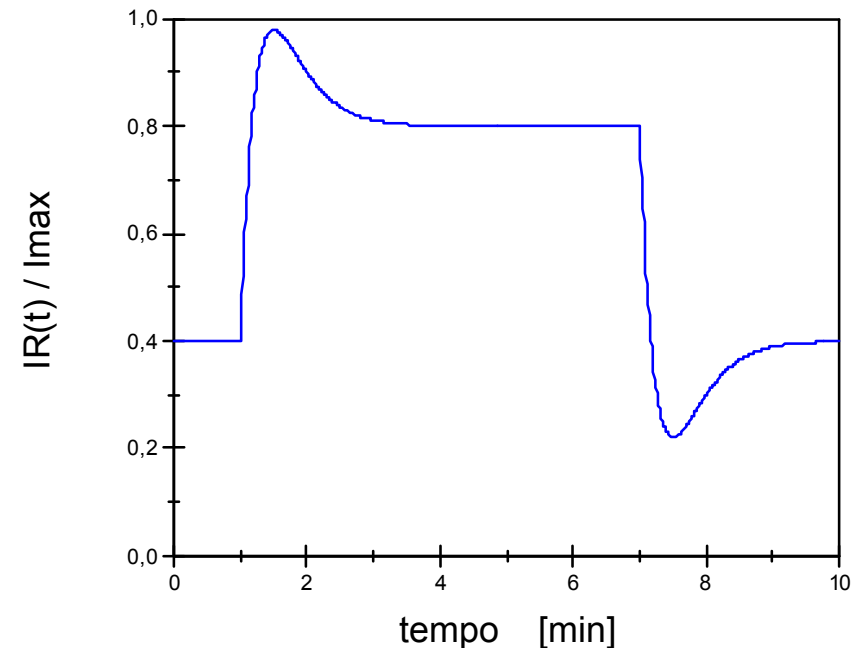
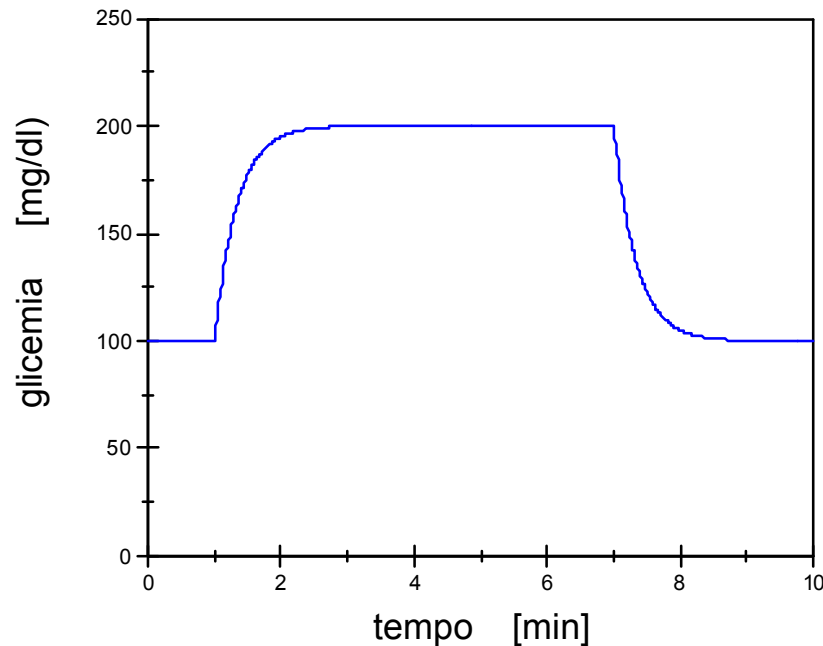
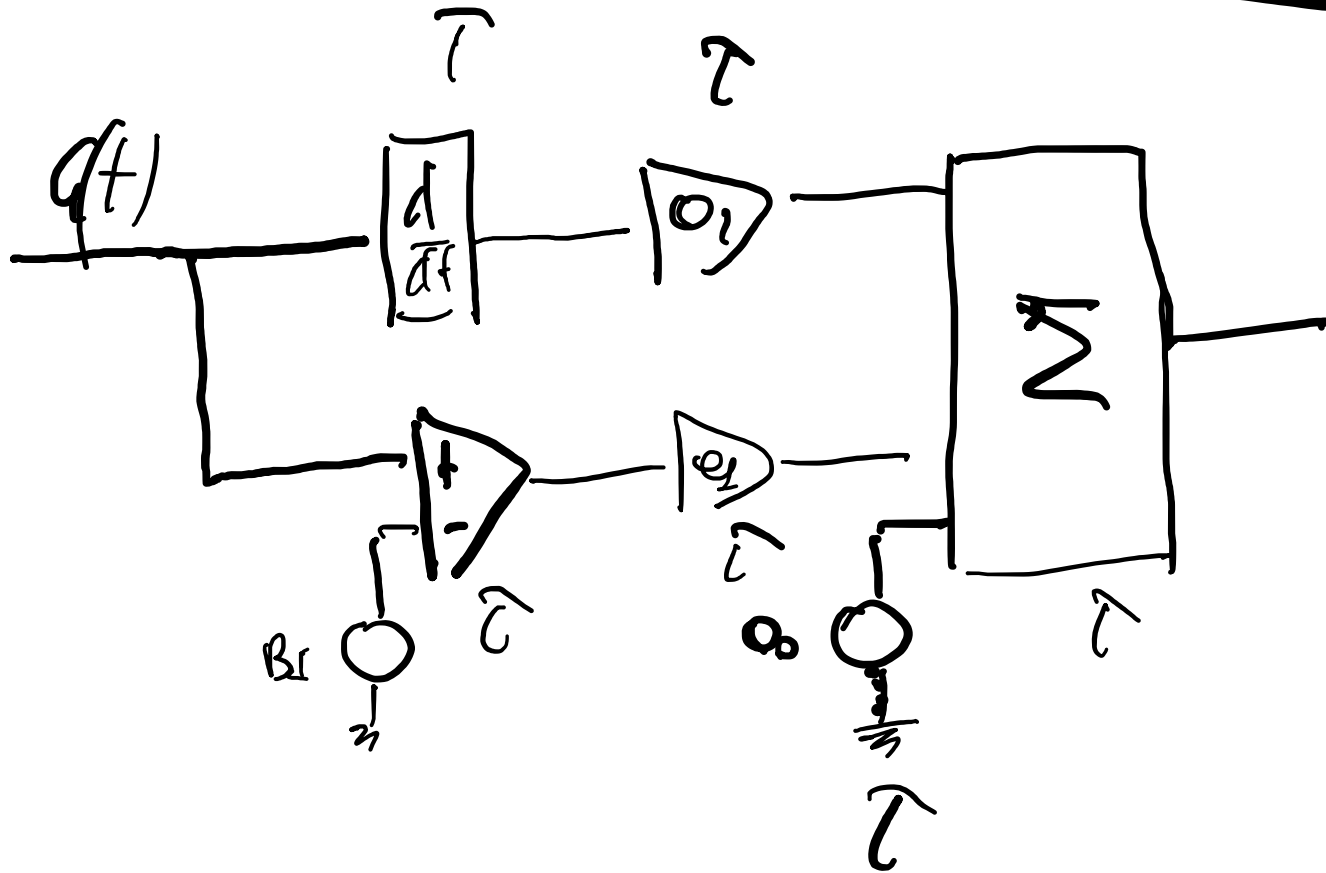


Figura 21: risposta dell'algoritmo di Fisher a uno stimolo

$$I(t) = q_0 + q_1 (G(t) - BI) + q_2 \frac{dG}{dt}$$

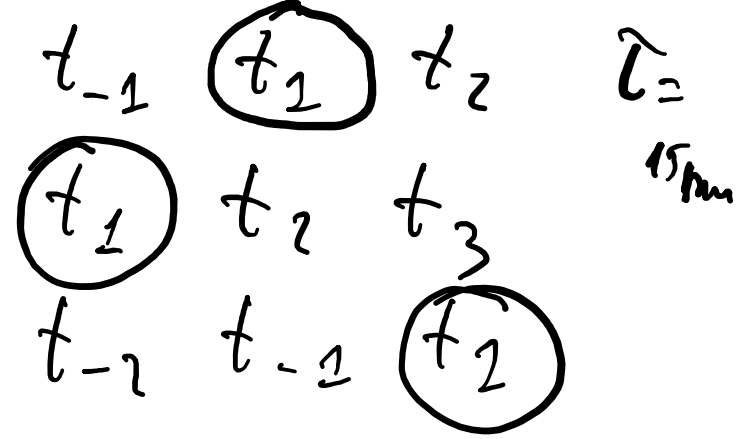
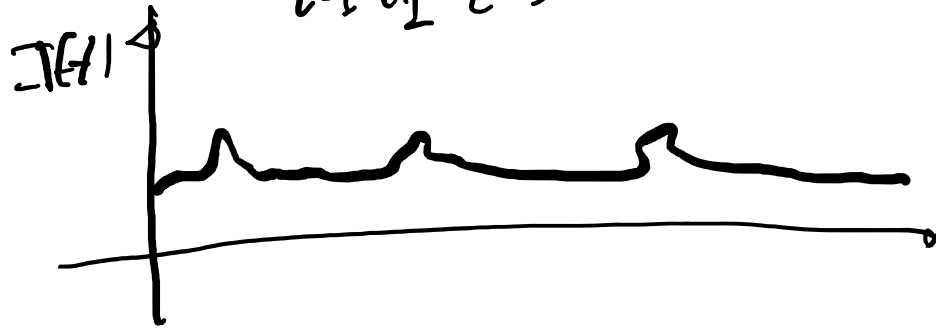
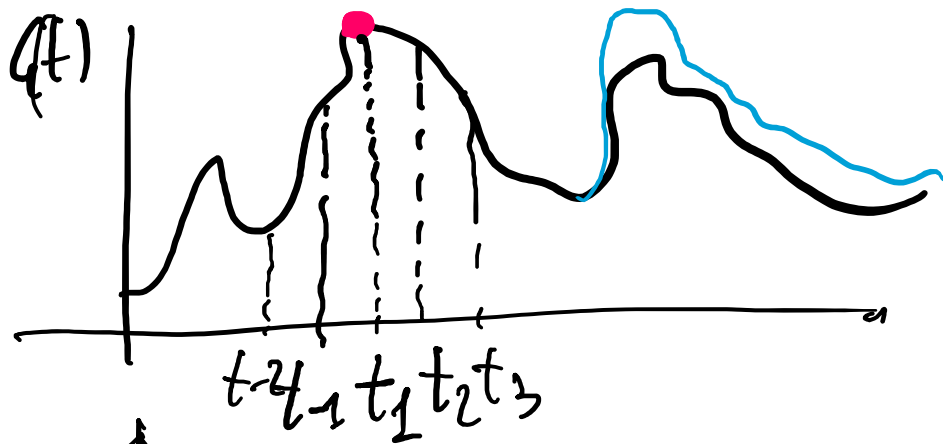


$$T_s = 4T$$

$$T_D = \frac{6T}{3T}$$

$$3T$$

$q_0, q_1, q_2 > 0$



$$J(t_1) = a_0 + a_1 [Q(t_1) - B] + a_2 \frac{Q(t_1) - Q(t_{-1})}{\tau}$$

$$J(t_2) = a_0 + a_1 [Q(t_2) - B] + a_2 \frac{Q(t_2) - Q(t_1)}{\tau}$$

$$J(t_3) = a_0 + a_1 [Q(t_3) - B] + a_2 \frac{Q(t_3) - Q(t_2)}{\tau}$$

$$J(t_2) = J(t_1) - \frac{1}{\tau} J(t_1)$$

$$J(t_3) = J(t_2) - \frac{1}{\tau} J(t_2)$$

$$J(t_1) = 2 + 2 = 4 \frac{\mu g}{ml}$$

Metodi adattivi

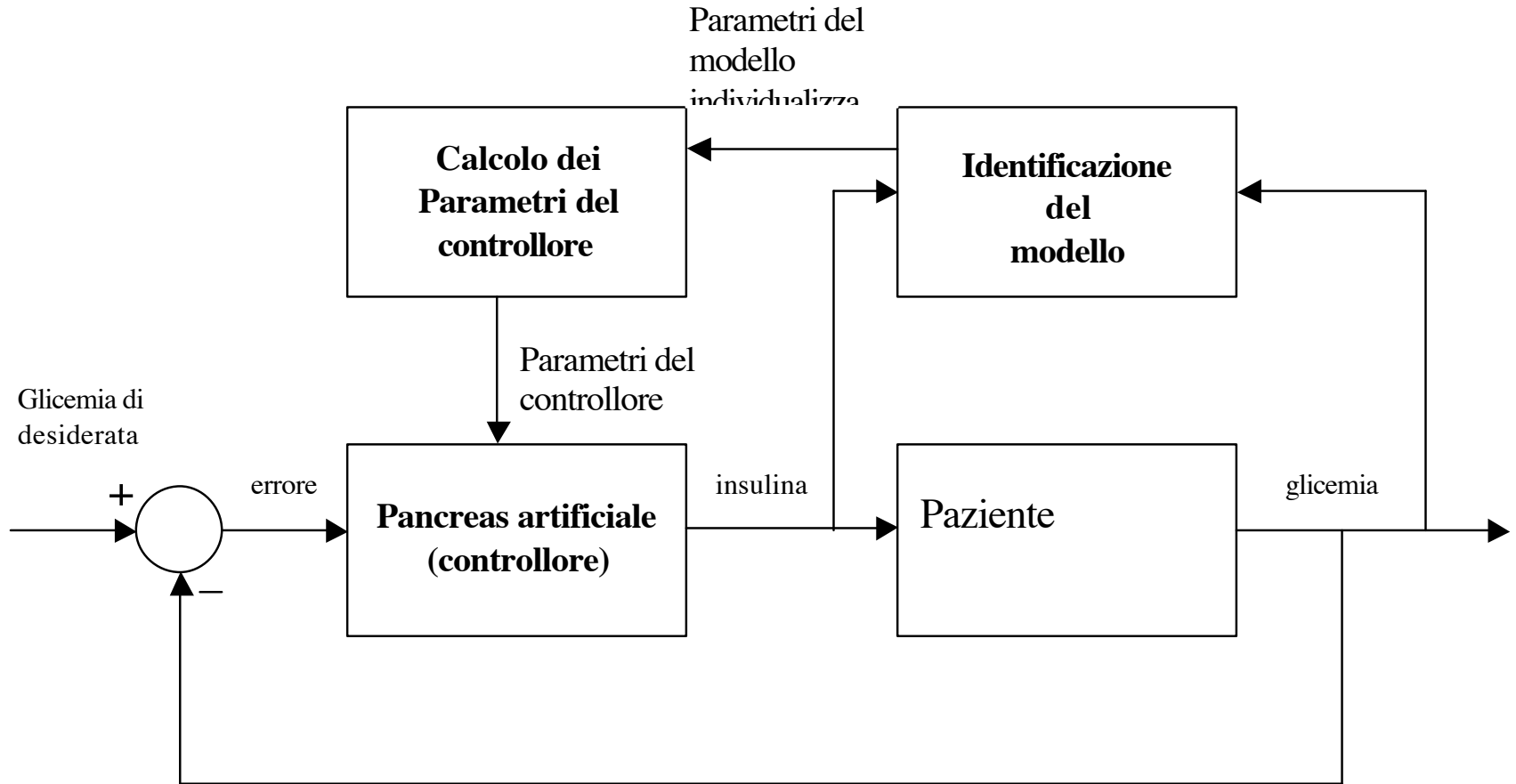


Figura 21:schema di un controllo adattivo self-tuning

Pompa impiantabile di insulina

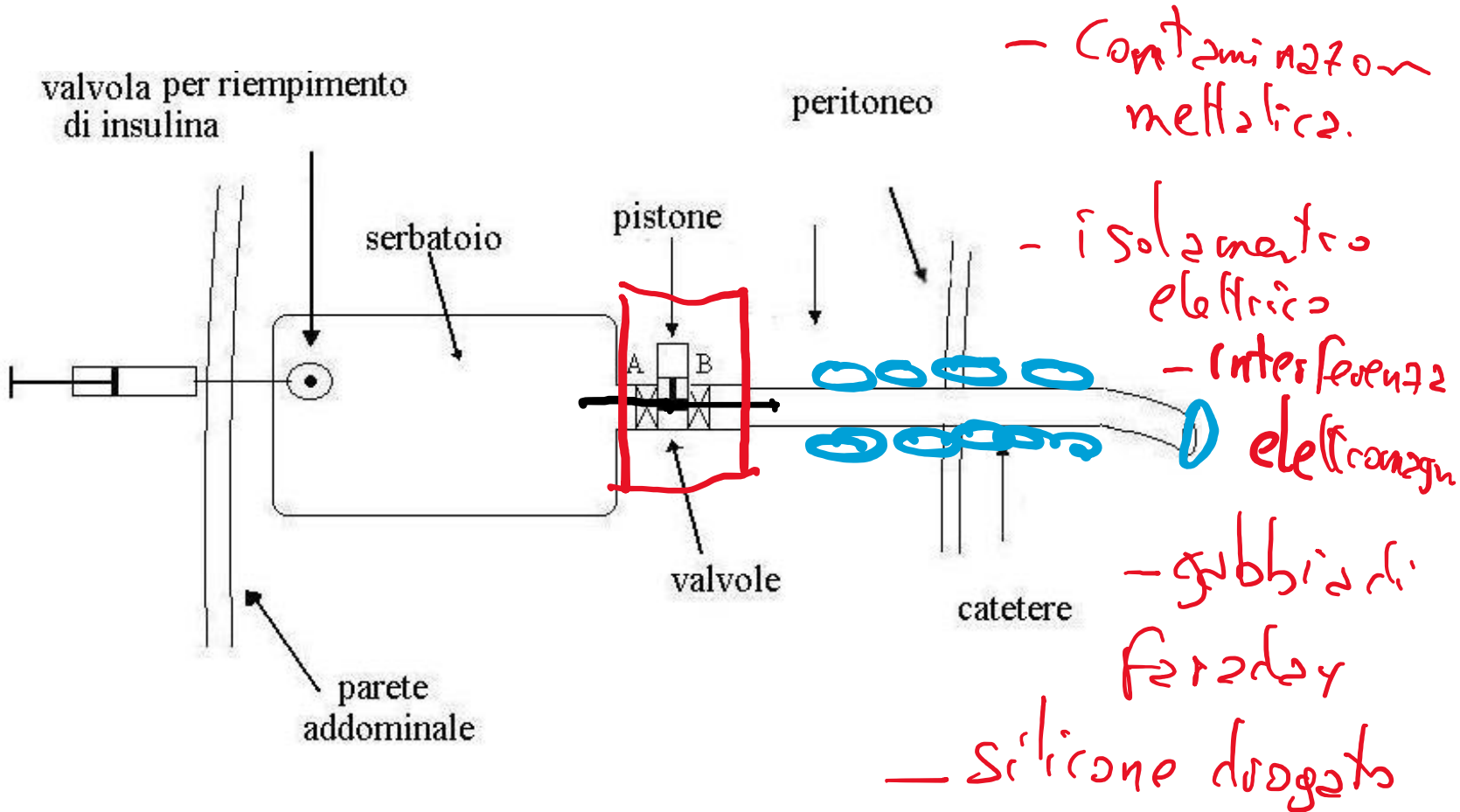


Figura 22: schema di una pompa impiantabile per insulina